

**INSTRUCTION MANUAL**  
**FOR THE**  
**Q METER TYPE 260-A**



**BOONTON RADIO CORPORATION**  
**BOONTON, NEW JERSEY**  
**U. S. A.**



**Figure I-1 Front view of Q Meter Type 260-A**

## SECTION I

### DESCRIPTION

#### A. GENERAL DESCRIPTION.

The Q Meter Type 260-A measures the Q of inductors directly from 10 to 625 over a frequency range of 50 KC to 50 MC. Values of inductance from 0.09 microhenries to 130 millihenries can also be measured directly with this instrument. Front panel dials which indicate the frequency of the applied voltage and the capacitance of the measuring circuit permit the calculation of inductance outside this range as well as values of Q, X, R, and L or C of other components.

#### B. PANEL LAYOUT AND CONTROLS.

A front view of the instrument appears in Figure 1-1 which shows the various controls, meters, and measuring-circuit terminal posts. The CIRCUIT Q meter is centrally located and has three scales: Q,  $\Delta Q$ , and LOW Q. The LOW Q scale expands the lower portion of the Q scale for values of Q from 10 to 60. The  $\Delta Q$  scale reads directly the change in Q between two circuit conditions ( $\Delta Q = Q_1 - Q_2$ ). The range of this scale, 0 to 50, is intentionally limited so that small changes of Q can be accurately measured.

Immediately below the CIRCUIT Q meter is the MULTIPLY Q BY meter. Its readings are set by the XQ COARSE and XQ FINE controls located to the right of the meter. These controls adjust the oscillator output, hence the injection voltage in the measuring circuit. Readings on all scales of the CIRCUIT Q meter must be multiplied by the value indicated on the MULTIPLY Q BY meter to obtain the actual values.

Both CIRCUIT Q and MULTIPLY Q BY meters have a wide mirrored arc for parallax correction.

The lower section of the instrument panel contains a pilot lamp, Q ZERO ADJUST control for the CIRCUIT Q meter, spring-return lever key which selects one of three scales on the CIRCUIT Q meter, concentric controls for  $\Delta Q$  BALANCE which permit zeroing the meter on the  $\Delta Q$  scale, and a fuse holder.

The  $\Delta Q$  COARSE control, in its extreme counter-clockwise position, actuates the POWER switch.

The FREQUENCY RANGE switch and companion FREQUENCY CONTROL dial are located on the left side of the front panel. Right hands completely cover the frequency range from 50 KC to 50 MC. The vernier drive knob for the FREQUENCY CONTROL dial is to the left of the dial.

On the right side of the panel are the RESONATING CAPACITOR and VERNIER CAPACITOR dials,

covering a capacitance range of 30  $\mu\text{mf}$  to 460  $\mu\text{mf}$  and 0 to  $\pm 3.0 \mu\text{mf}$ , respectively. The vernier drive knob for the RESONATING CAPACITOR dial is just to the right of the INDUCTANCE-FREQUENCY chart.

#### C. MEASURING-CIRCUIT CONNECTION TERMINALS.

Four binding-post terminals on top of the instrument provide facilities for connecting unknown components to the measuring circuit. Inductors which resonate with the RESONATING CAPACITOR within the frequency range of the Q Meter Type 260 A, may be measured by connecting them to the COIL terminals. Other components are generally measured in conjunction with an auxiliary work coil. Small inductors, large capacitors, and low impedance components should be connected in series with the work coil, while small capacitors, large inductors, and components of high impedance are to be connected across the CAP terminals. Connecting an unknown component to the measuring circuit usually requires tuning the circuit. The parameters of the unknown component may be calculated by noting the magnitudes of the changes.

A set of inductors, Type 103-A, is available for use with the Q Meter Type 260-A. These specially constructed coils serve as work coils and also allow periodic checks of instrument operation.

Q-Standards Type 513-A and 518-A are available for testing the Q calibration of the instrument.

#### D. POWER SOURCES.

The Q Meter Type 260 A may be used *only* with a 60 cycle a-c power source and provides internal stabilization of a-c line voltage, which spares the user the inconvenience of oscillator output variations and slight changes of electrical zero set.

The Q Meter Type 260-AP, available on special order, may be used with an a-c power source of 50 or 60 cycles, in conjunction with an external voltage stabilizer.

## SECTION II

### SPECIFICATIONS

#### FREQUENCY RANGE:

Continuously variable from 50 kilocycles to 50 megacycles in eight self-contained ranges.

#### FREQUENCY ACCURACY:

Approximately 1%.

#### RANGE OF CIRCUIT Q MEASUREMENT:

Q Measurements can be made from 10 to 625. Range of  $\Delta Q$  scale is from 0 to 50.

#### ACCURACY OF Q MEASUREMENT.

Circuit Q of 250 read directly on the indicating meter is accurate to  $\pm 5\%$  from 50 kc to 30 mc.; accuracy decreases to  $\pm 10\%$  at 50 mc.

**CAPACITANCE OF INTERNAL CALIBRATED CONDENSER:**

30 to 460 mmf (direct reading) calibrated in 10 mmf. increments from 30 to 100 mmf 50 mmf increments from 100 to 460 mmf.

**ACCURACY**

Approximately 1% or 1.0 mmf, whichever is greater. Range of Vernier capacitance dial is -3.0 to +3.0 mmf. (direct reading) calibrated in 0.1 mmf. increments  
Accuracy  $\pm 0.1$  mmf.

**EFFECTIVE INDUCTANCE MEASUREMENTS:**

0.09 uh to 130 mh (direct reading) at six specific frequencies. Accuracy: Approx.  $\pm 3.0\%$  for resonating capacitance.  $\approx 100$  mmf

**SPECIAL FEATURES:**

Operation down to 1 kc. with external oscillator and coupling transformer Type 564-A. Expanded sensitivities provided by "Lo Q" and " $\Delta Q$ " scales. Thermocouple overload protection for normal operation.  
Internally regulated.

**ACCESSORIES:**

Furnished: None  
Available 564-A Coupling Transformer  
103-A Type work coils  
513-A Q Standard

**TUBE COMPLEMENT:**

1 — 535-A  
1 — 3763  
1 — 6X4  
1 — OB2  
1 — OA2

**POWER REQUIREMENTS:**

Power Supply: 95-130 volts — 60 cps only (internally regulated); power consumption is 65 watts, Model 260-AP available for 95 to 130 volts, 50 cps only. State voltage required in your order. Power consumption is 65 watts

**SIZE:**

Height:  $12\frac{1}{2}$ ", Width: 20", Depth:  $8\frac{1}{2}$ "

**WEIGHT:**

260 A  
40 lbs. net  
98 lbs. gross packed for export  
55 lbs. gross packed for domestic  
50 lbs. legal weight packed for export

**260-AP**

40 lbs. net  
98 lbs. gross packed for export  
55 lbs. gross packed for domestic  
50 lbs. legal weight packed for export

## SECTION III

### OPERATING INSTRUCTIONS

**A. GENERAL.**

The direct measurement of Q and inductance is described in this section, as well as the procedure for connecting other components to the measuring circuit.

The Q Meter Type 260-A requires the connection of an inductor to the COIL terminals to complete the measuring circuit. This circuit may then be tuned to resonance, either by setting the oscillator to a given frequency and varying the internal resonating capacitor, or by presetting the resonating capacitor to a desired value and adjusting the frequency controls. Resonance is evidenced by a maximum deflection of the CIRCUIT Q meter.

The indicated Q (which is the resonant reading on the CIRCUIT Q meter) is called the *circuit Q* because the losses of the internal resonating capacitor, Q volt meter, and insertion resistor are all included in the measuring circuit. To avoid ambiguity, the *circuit Q*, as read on the Q Meter, will be called *indicated Q* throughout the remainder of this book. The *effective Q* of the measured inductor will be somewhat greater than the *indicated Q*. The difference can generally be neglected. In certain cases, however, the Q readings may require correction. This is considered in greater detail in Section V.

**B. INSTALLATION.**

Make certain that the supply voltage and frequency of the a-c power source corresponds with the values shown in Section II, or on the instrument.

To improve stability and prevent overloading the CIRCUIT Q meter whenever the HI terminals of the measuring circuit are touched by the operator's hands, the Q Meter should be well grounded. The binding post on the back of the cabinet is provided for this purpose.

If it is necessary, adjust the mechanical zero of the CIRCUIT Q meter and the MULTIPLY Q BY meter.

Plug the line cord into a suitable receptacle and apply power by turning the XQ COARSE control clockwise from its OFF position just far enough to actuate the switch. CAUTION: Do not turn this control fully clockwise or the thermocouple may be overloaded when the oscillator warms up. Allow about one minute to elapse before proceeding.

The XQ COARSE control should then be advanced clockwise until a reading is obtained on the MULTIPLY Q BY meter. This indicates that the internal oscillator is functioning and providing power to the measuring circuit.

### C. OPERATING PRECAUTIONS.

When the Q Meter is first received, it is suggested that careful measurements be made using BRC Q Standards Type 513-A and 518-A, or a set of Inductors Type 103-A, and the data be recorded and filed. At least one measurement should be made near each end of each inductor frequency band. These recommended measurements provide data for each individual Q Meter which will be available for reference and comparison should it ever become necessary to perform maintenance work on the instrument. Only data obtained with Q-Standards Type 513-A and 518-A should be relied on for instrument recalibration.

Routine measurements may be made with the Q Meter a few minutes after turning on the power. A warm-up time of at least one hour is desirable before making precision measurements. When components are measured in conjunction with work coils, the work coils should be well shielded. The possibility of error which may result from coupling between the work coil and the component is thereby eliminated. Inductors Type 103-A are well suited for this application.

The LO post of the COIL terminals is not at ground potential. Signal voltage from the internal oscillator is injected into the measuring circuit between this point and ground. Components which are grounded, therefore, cannot be measured at the COIL terminals. Care should be taken that components under test are not accidentally grounded to the instrument case.

The MULTIPLY Q BY meter derives its voltage from a thermocouple which monitors the signal voltage injected into the measuring circuit. Since it is possible to damage the thermocouple, it is necessary to restrict the XQ meter to on-scale deflections. While the output of the internal oscillator is held reasonably constant over the entire frequency range of the instrument, some variation must be expected. The greatest danger of thermocouple burnout, therefore, occurs when the frequency range switch is changed, or, when searching for a condition of resonance with the frequency control. Thermocouple damage can be prevented by establishing a practice of lowering the MULTIPLY Q BY meter deflection to about mid scale before shifting the oscillator frequency.

The recessed areas surrounding the measuring circuit terminal posts should be examined frequently for wire clippings and dirt particles. Foreign material accumulated in these wells should be removed since it may reduce the measured Q and possibly short the measuring circuit.

### D. METHODS OF CONNECTING COMPONENTS.

There are three basic methods of connecting components to the measuring circuit of the Q Meter. The

nature and magnitude of the impedance to be measured usually dictates the method of connection.

#### 1. DIRECT CONNECTION.

Most coils can be measured by connecting them directly to the COIL terminals, as shown in Figure III-1. The measuring circuit is resonated by adjusting either the capacitance or frequency. The indicated Q is read on the CIRCUIT Q meter.

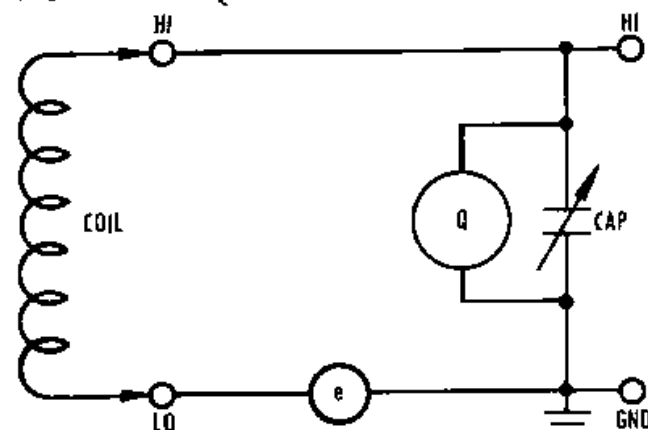


Figure III-1 Direct connection to measuring circuit

If one of the frequencies designated on the front panel INDUCTANCE-FREQUENCY chart is used, the effective inductance of the coil may be read on the L scale of the resonating-capacitor dial. For frequencies other than those specified on the chart, the inductance of the coil can be calculated using indicated values of frequency and capacitance.

#### 2. PARALLEL CONNECTION.

High impedance components, such as high-value resistors, certain inductors, and small capacitors, are measured by connecting them in parallel with the CAP terminals. This connection is shown in Figure III-2. Before the unknown component is connected, however, the measuring circuit must be resonated, using a stable work

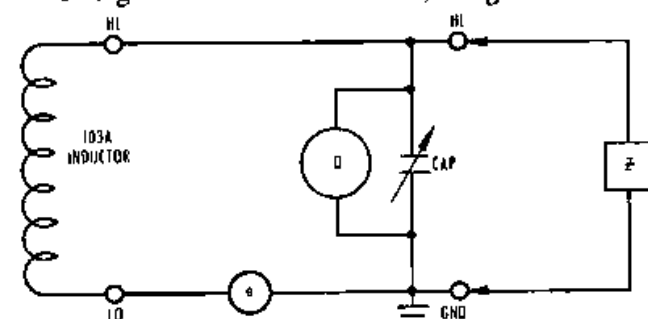
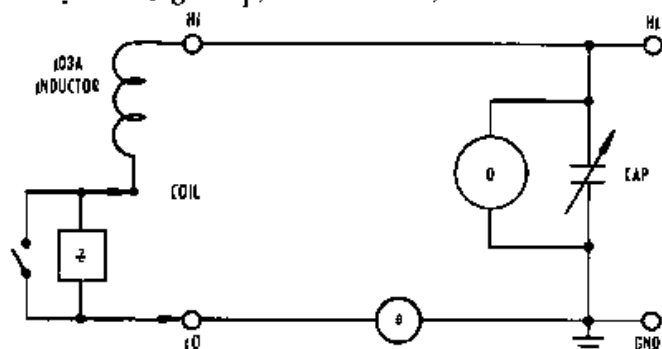


Figure III-2 Parallel connection to measuring circuit

coil (such as an Inductor Type 103-A) to establish reference values of Q and C. Then, when the component under test is connected to the measuring circuit and the capacitor is readjusted for resonance, the altered values of Q and C can be combined with the reference values in equations which yield the parameters of the unknown specimen. These measurements, as well as those described in Section D-3, which follows, are discussed in the Appendix.

### 3. SERIES CONNECTION.

Low impedance components, which include low value resistors, small coils, and large capacitors, are measured in series with the measuring circuit. Figure III-3 shows this connection. The component to be measured is placed in series with a work coil between the LO terminal and the low-potential end of the work coil. A heavy shorting strap, as illustrated, should be used to



**Figure III-3 Series connection to measuring circuit**  
short-circuit the unknown component while a reference condition is established. The strap is then opened, or removed, and the measuring circuit re-resonated. This procedure permits the component under test to be physically connected even though it is electrically out of the circuit, and eliminates possible errors by maintaining the relative positions of the work coil and unknown component.

Simple but effective measuring jugs can be constructed for production testing which provide facilities for connecting and shorting the specimen and for holding the reference coil.

The reference and altered values of  $Q$  and  $C$  may be combined in suitable equations (see Table I in the Appendix) to calculate the parameters of the unknown component.

## E. OPERATING PROCEDURES.

### 1. INITIAL ADJUSTMENTS.

In making the following adjustments, observe the precautions outlined in Section III-C. The various controls are described in Section I-B, and shown in Figure I-1. Preliminary adjustment of these controls is as follows.

a. Check, and if necessary, adjust the mechanical zeroes of both meters.

b. Turn the POWER OFF switch on. The XQ COARSE control should be turned only enough to actuate the switch.

c. Allow a few minutes for the instrument to warm up. For precision measurements, the warm up period should be at least one hour.

d. It is necessary to adjust the zero of the  $Q$  voltmeter in the absence of a resonant rise of the injection voltage. To do this, connect a coil to the COIL terminals to provide a low resistance path for the  $Q$  voltmeter, making certain the coil selected is not close to resonance. If the reading on the CIRCUIT  $Q$  meter changes when

either the frequency or capacitance is varied, shift to a higher or lower frequency, or detune the circuit with the resonating capacitor control.

e. Using the  $Q$  ZERO ADJUST potentiometer, zero the CIRCUIT  $Q$  meter needle. Depressing the lever key to LOW  $Q$  increases the meter sensitivity and permits the zero to be set more accurately. The accuracy may be further checked by alternating the lever key between the  $Q$  and LOW  $Q$  positions. The setting is correct if the needle remains stationary at zero.

The instrument is now ready for use.

### 2. Q MEASUREMENTS (DIRECT CONNECTION).

The following procedure can be used to measure directly the  $Q$  of coils connected to the COIL terminals.

a. Connect the coil to be measured to the COIL terminals (after completing "Initial Adjustments"). Figure III-1 illustrates this connection.

b. Set the frequency range switch to the proper band and adjust the frequency control to the desired frequency.

c. Using the XQ controls (COARSE and FINE), adjust the MULTIPLY  $Q$  BY meter to read 1.0.

d. Resonate the coil by adjusting the resonating capacitor control for maximum deflection of the CIRCUIT  $Q$  meter. Alternatively, the resonating capacitor control may be set to a desired value and the measuring circuit re-resonated by adjusting the oscillator frequency.

e. Read the indicated  $Q$  on the top ( $Q$ ) scale of the CIRCUIT  $Q$  meter.

f. If the  $Q$  reading is less than 60, depress the lever key to the LOW  $Q$  position, readjust for resonance and read the LOW  $Q$  scale.

g. When the circuit  $Q$  is greater than 250, the meter will deflect off scale. If this happens, readjust the MULTIPLY  $Q$  BY meter with the XQ controls to a suitable multiplying factor which will allow the CIRCUIT  $Q$  meter to be read, preferably on the upper third of its scale.

Note: The final adjustment for resonance can be made with greater ease, for high- $Q$  coils, by using the vernier capacitor. The total circuit capacitance is then obtained by adding or subtracting the vernier dial reading to or from the reading on the main capacitor dial as indicated by the sign on the vernier dial.

b. To calculate the effective series resistance of the coil being measured, substitute the values of  $Q$ ,  $C$ , and  $\omega$  in the equation,

$$R_s = 1/\omega C Q \quad (\text{ohms}) \quad (3.1)$$

where  $\omega = 2\pi$  (times the frequency in cycles-per-second)

$C$  = measuring circuit capacitance in farads

$Q$  = indicated  $Q$

If very accurate measurements are required, refer to Section V and the Appendix for corrections which may be applied.

# 4. ΔQ MEASUREMENTS

Measurements are described in the Appendix which require a knowledge of a change of *indicated* Q. If the two values of Q are nearly identical, the difference is difficult to read accurately on the normal Q scale.

The ΔQ feature of the Q Meter Type 260-A provides a direct-reading scale for these differences of Q. The scale is calibrated from 0 to 50 (from right to left) and readings should be multiplied by the setting on the MULTIPLY Q BY meter. Delta (Δ) Q is measured as follows:

a. Resonate the measuring circuit with only the work coil in the circuit. Mentally note the value of Q.

b. Set the ΔQ course control (outer knob) and its attached dial to the approximate value of Q. Lift the lever key to the ΔQ position and adjust the fine ΔQ BALANCE control (center knob) for a meter reading of zero on the ΔQ scale (full scale deflection). Retrack the tuning with the lever key in this position for exact resonance (as indicated by a maximum deflection to the right) and, if necessary, reset the ΔQ zero.

c. Release the lever key and make the desired circuit change. Restore resonance to the circuit and again lift the lever key to the ΔQ position. Carefully retack the tuning for resonance (maximum meter deflection) and read the change in Q on the ΔQ (red) scale. This value of ΔQ must be multiplied by the reading on the MULTIPLY Q BY meter. Release the lever key before making other changes.

If the change in Q exceeds the limit of the scale, the difference should be calculated arithmetically from the two Q values, namely,  $\Delta Q = Q_1 - Q_2$ .

# 5. INDUCTANCE MEASUREMENTS (DIRECT CONNECTION).

The following procedure can be used to measure directly the inductance of coils connected to the COIL terminals.

a. If the approximate value of inductance is known, select the appropriate measuring frequency from the INDUCTANCE-FREQUENCY chart on the front panel. Set the frequency controls to the designated frequency.

b. Using the XQ controls, adjust the MULTIPLY Q BY meter to read 1.0 (use a higher multiplying factor for coils of Q > 250).

c. Resonate the coil by adjusting the resonating capacitor control for maximum deflection of the CIRCUIT Q meter. Vernier capacitor must be at 0.

If the inductance cannot be estimated, resonate the coil at any frequency, then move the oscillator frequency to the nearest frequency specified on the chart, changing the resonating capacitor accordingly.

d. Read the *effective*<sup>6</sup> inductance of the coil on the L scale of the resonating capacitor dial. The value shown on this scale must be multiplied by an appropriate factor, depending on the frequency used and the corresponding range of inductance.

<sup>6</sup>Effective inductance is defined in the Appendix.

Occasionally it may be necessary to measure inductance at frequencies other than those specified by the chart. In such instances, after resonating the measuring circuit, the effective inductance can be calculated with the equation

$$L = 1/\omega C \quad (3.2)$$

where  $\omega = 2\pi$  times the frequency in cycles-per-second

and C = capacitance in farads, as read on the dials of the Internal Resonating Capacitor.

Corrections for the inductance are given in the Appendix.

# 6. LOW FREQUENCY MEASUREMENTS.

The Q Meter Type 260-A may be used at frequencies below 50 KC by connecting the output of an external oscillator to the measuring circuit. A receptacle (shown in Figure VI-1) is provided for this purpose at the rear of the injection resistor housing. The external oscillator must be capable of delivering one ampere to a load of approximately 0.3 ohms. To meet this requirement, most oscillators will have to work through a matching transformer. The BRC Coupling Unit Type 564-A will match an impedance of about 500 ohms to the injection circuit from 50 KC to about 1 KC. Under these conditions the oscillator output level should be approximately 22 volts at the transformer primary.

The secondary of the Coupling Unit Type 564-A terminates in a UG-88/U connector. The injection circuit receptacle which fits this connector is accessible through a door in the rear panel. Remove the internal oscillator connector and replace it with the connector from the Coupling Unit.

**CAUTION:** Before this connection is made, make sure the output control on the external oscillator is turned to zero.

Measurements at frequencies below 50 KC will usually require a substantial increase in measuring-circuit capacitance. External standard capacitors, other than polarized or high-loss types, may be connected directly to the CAP terminals for this purpose. The total circuit capacitance is then the sum of internal and external capacitances.

As the measuring frequency decreases, the importance of short leads is reduced. It is good practice, however, to keep the external capacitor as close as possible to the CAP terminals of the Q Meter.

Measurement of Q, X, R, and L or C is made in the normal manner. If high-Q inductors are measured at low frequencies, and either effective or true Q and L is needed, corrections should be made for the input conductance of the Q voltmeter and the distributed capacitance of the test coil. These corrections are discussed in Section V and the Appendix.

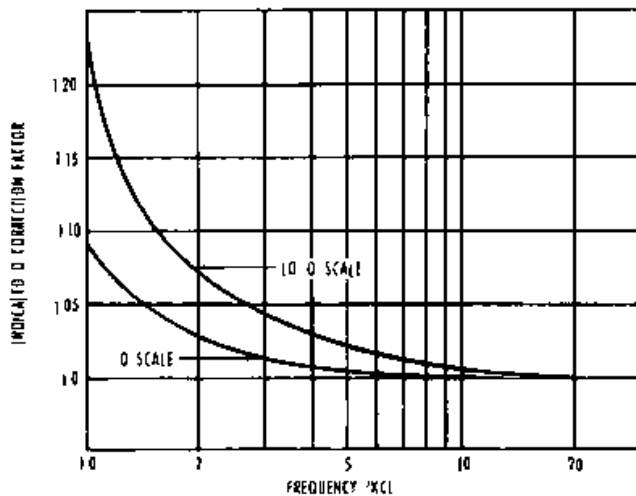


Figure III-4 Low Frequency Q Voltmeter Correction

The Q voltmeter circuit is by-passed for optimum performance for frequencies between 50 KC and 50 MC. The frequency response of the voltmeter is therefore not flat to low audio frequencies. A correction curve for the Q voltmeter is given in Figure III-4.

## SECTION IV PRINCIPLE OF OPERATION

### A. GENERAL.

The measuring principle of the Q Meter Type 260-A is based on a familiar characteristic of series resonant circuits, namely, that the magnitude of voltage appearing across either reactor is equal to the voltage induced into the circuit multiplied by the *circuit Q*. In the Q Meter Type 260-A the voltage is induced across a 0.02 ohms resistor in series with the circuit. Circuit Q is defined as the Q of the internal measuring circuit of the Q Meter, in conjunction with the component under test. In most practical cases this is essentially equal to the Q of the component alone.

### B. Q METER THEORY.

When the circuit of Figure IV-1 is resonant, by defi-

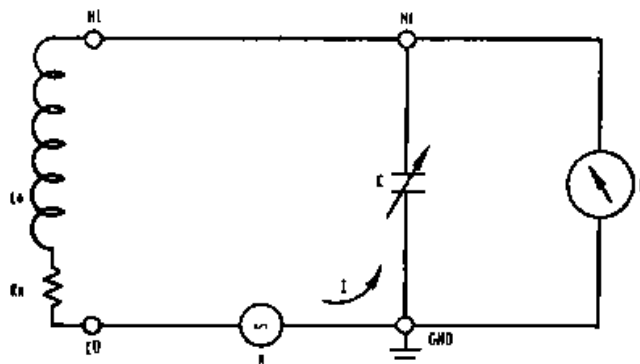


Figure IV-1 Basic Measuring Circuit

nition  $\omega L = 1/\omega C$  and the series resistance of the circuit is  $R_s$ , we can write for the current,  $I$ ,

$$I = E / R_s$$

We can also write,

$$E = I \omega L = I / \omega C$$

Combining these expressions and solving for  $E/I$ ,

$$E/I = \omega L / R = 1 / \omega C R$$

or,

$$E/I = Q$$

This equation is sensibly correct if the *circuit Q*  $\geq 10$

### C. RESIDUAL CIRCUIT PARAMETERS.

The reduction of the ideal circuit configuration of Figure IV-1 to a physical and practical structure inherently introduces residual parameters which do not exist in the ideal circuit.

These parameters have been minimized in the design of the 260-A using means developed over many

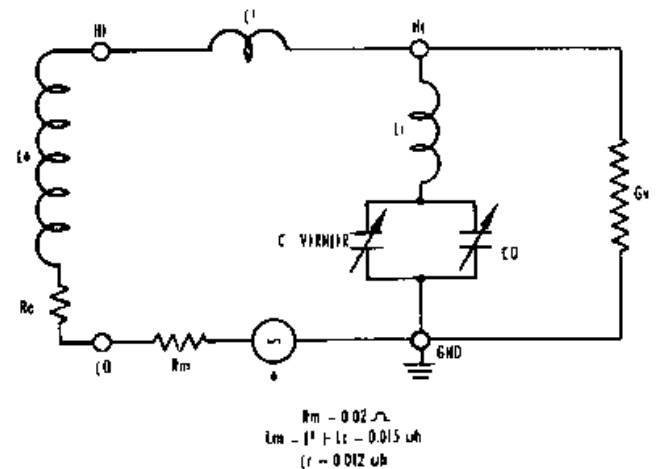


Figure IV-2 Equivalent Measuring circuit (Approximate)

years of experience. As a result, practically all measurements can be made without corrections for these residuals, except where extreme accuracy is required.

The equivalent circuit of the Q Meter measuring circuit, to a first approximation, is shown in Figure IV-2. Average values of residual parameters are also given. In general, these values are satisfactory for most purposes. Accurate measurements, however, require that these quantities be determined for each individual Q Meter, and references for these measurements are included in the bibliography.

## SECTION V SOURCES OF ERROR

### A. INSERTION RESISTANCE.

While, for many measurements, the residual resistance of the Q Meter measuring circuit, shown in Figure IV-2, is sufficiently small to be considered negligible, under certain conditions it can contribute an error to the measurement of Q.



The degree of influence of this residual resistance on a measurement depends on the magnitude of the impedance of the unknown component with respect to the residual impedance. For instance, the 20 milliohms of insertion resistance may be safely neglected in comparison with an effective series coil resistance of 10 ohms but assumes importance when compared with an effective coil resistance of 0.1 ohms. Consider the following example:

$$\begin{aligned} f &= 1.0 \text{ MC.} \\ C &= 65 \text{ } \mu\text{f} \\ \text{and } R &= 10 \text{ ohms} \end{aligned}$$

Then the *effective*  $Q$  of the coil equals

$$Q_e = f \omega CR = 245.$$

while the *indicated*  $Q$  equals

$$Q = f \omega C (R + 0.02) = 244.5$$

an error of only 0.2 percent

However, when the coil resistance is, say 0.1 ohms, and we are interested in learning the *effective*  $Q$  of the coil, we must correct for the insertion resistance (for example—

$$\begin{aligned} f &= 1.0 \text{ MC.} \\ C &= 135 \text{ } \mu\text{f} \\ \text{and } R_s &= 0.1 \text{ ohms} \end{aligned}$$

Then the *effective*  $Q$  of the coil equals,

$$Q_e = f \omega CR = 293$$

but the *indicated*  $Q$  equals,

$$Q = f \omega C (R_s + 0.02) = 244$$

The equations which follow correct for insertion resistance errors

Effective coil resistance,

$$R = (1/\omega C Q) \quad (2 \times 10^{-3}) \quad (5.1)$$

$$\text{Effective } Q, Q_e = \frac{Q}{1 - \frac{0.02}{50}} \quad (5.2)$$

where  $\omega = 2\pi$  times the frequency in cycles per second

$C$  = capacitance in farads, as read on the dials of the Internal Resonating Capacitor

and  $Q_i$  = indicated  $Q$

Error due to the insertion resistor will be 5 percent, or less, for values of indicated  $Q$  equal to, or less than, those values shown in Figure V-1 for attendant values of frequency and capacitance. When the effective  $Q$  of a coil is needed to an accuracy of better than 5 percent of the indicated  $Q$ , corrections should be made for all indicated  $Q$  values which exceed those shown in Figure V-1 (for corresponding setting of  $f$  and  $C$ )

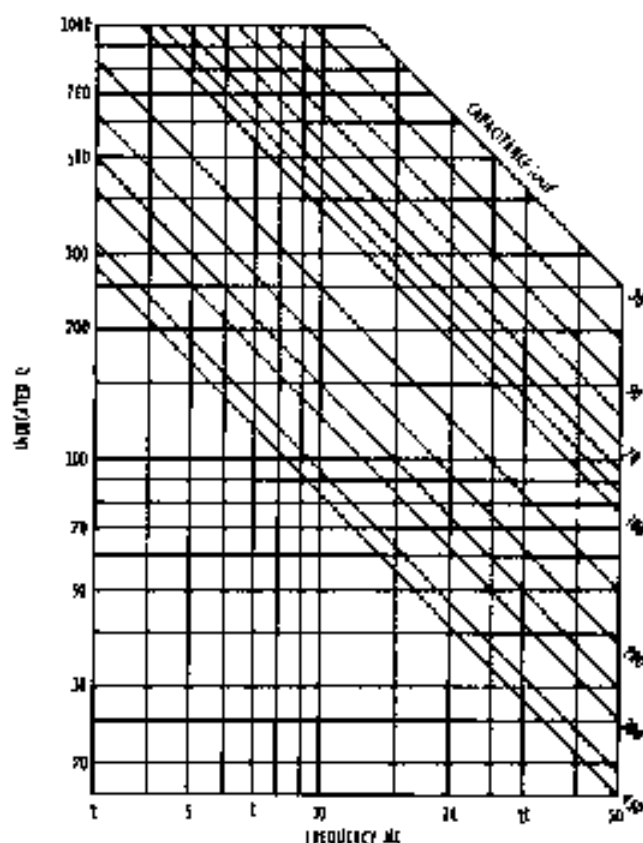


Figure V-1 Circuit Q Correction Guide for Insertion Resistor Error. Indicated  $Q$ s for given values of resonating capacitance and frequency below those shown on the chart are less than 5% in error

## B. RESIDUAL INDUCTANCE.

The residual inductance in series with the CIGL terminals of the Q Meter is included as part of the measured inductance of unknown coils (when using Direct Connection—see Figure III-1). When accurate values of effective inductance are required, correction for the residual inductance is necessary for coils of less than 0.5 microhenries (approximately). The correction is simply,

$$\text{Effective } L_e = L_s + L_r$$

where the residual inductance  $L_r$  is approximately 0.015  $\mu\text{H}$ .

The effect of distributed capacitance on measured values of  $Q$  and inductance is discussed in the Appendix

## C. Q VOLTMETER CONDUCTANCE.

Another internal parameter which causes the *indicated*  $Q$  to deviate from *effective*  $Q$ , at both very low and very high frequencies, is the input conductance of the Q voltmeter circuit. At very low frequencies this conductance consists of a 100 megohm grid leak resistor in parallel with the internal losses of the vacuum tube. At very high frequencies the transit time loss in the voltmeter tube shunts the resonating capacitor and introduces a shunt resistance across the measuring circuit.

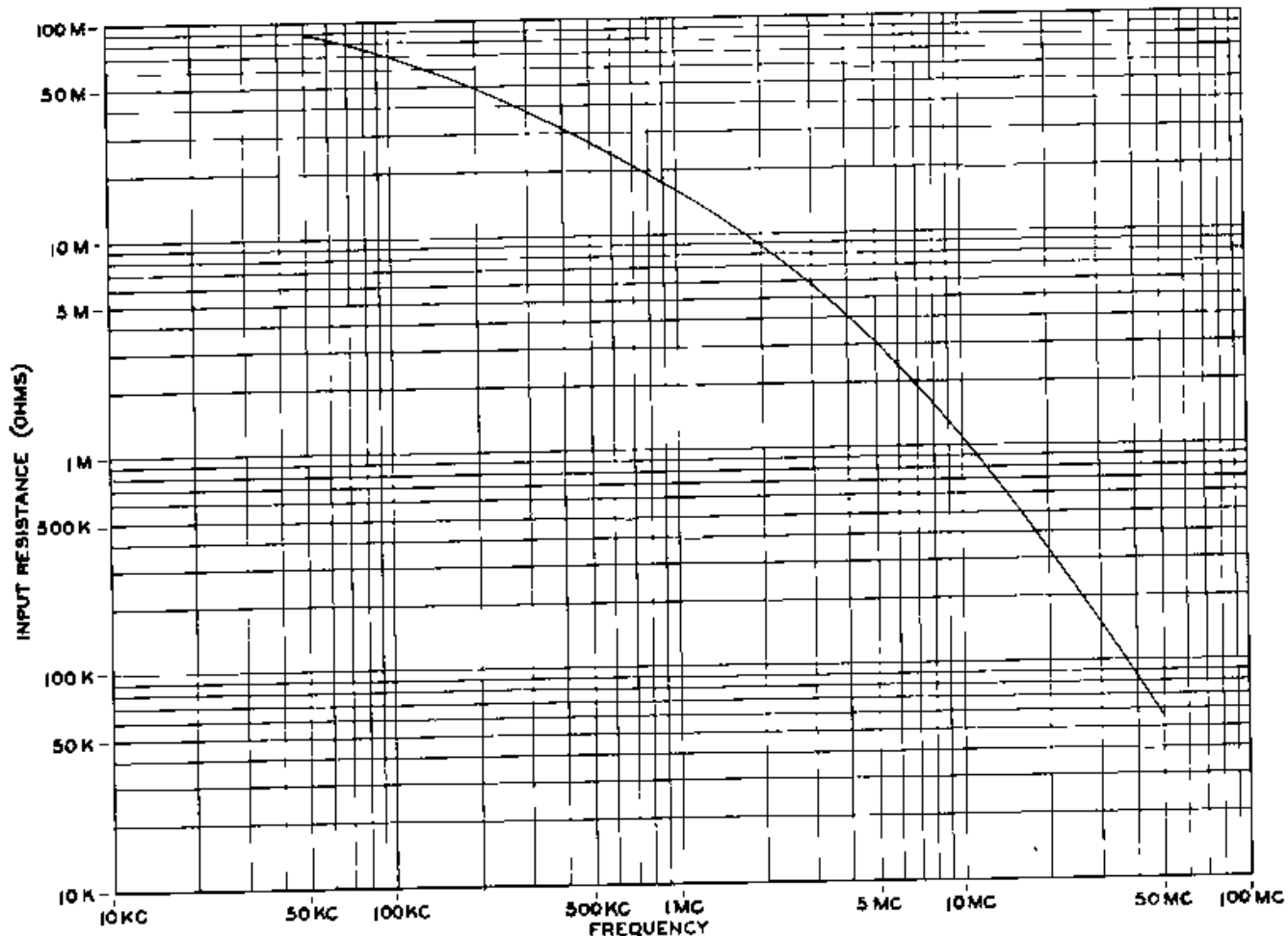


Figure V-2 Typical curve of Q voltmeter input resistance vs frequency

Q values, altered by this circuit loss, may be corrected with the equation,

effective Q,

$$Q_e = \frac{Q_i}{1 - \frac{Q_i G_v}{\omega C}} \quad (5.4)$$

where  $Q_i$  = indicated Q

and  $G_v$  = input conductance of the Q voltmeter

Corrections for Q's of less than 50 or 60 are seldom, if ever, necessary.  $G_v$  should therefore be measured with the CIRCUIT Q meter lever key in its normal (Q) position. Corrections based on values of  $G_v$  measured in this way will then apply only to the normal Q scale.

A typical curve of Q voltmeter input resistance vs. frequency is shown in Figure V-2.

#### D. CORRELATION OF Q.

The Q Meter Type 260-A contains improvements developed through years of experience in Q Meter design. The residual internal parameters of the measuring circuit have been reduced over those of the preceding BRC Q Meter, Type 160-A.

The signal insertion resistance, for example, has

been reduced 50 percent (from forty to twenty milliohms) and the inductance of this resistor has been made negligible. Circuit improvements have also lowered the input conductance of the Q voltmeter at the lower frequencies.

Thus the Q's of inductors measured directly at the COIL terminals of the 260-A depart very little from their effective values. When comparison measurements are made, therefore, using the Type 260-A and 160-A Q Meters, a difference of indicated Q must be expected.

The difference is most apparent at low and high frequencies. Most measurements made from 500 KC to about 5 MC will have good agreement.

## SECTION VI MAINTENANCE

### A. GENERAL.

The Q Meter Type 260-A is a precision-built, factory-calibrated instrument, and because the special test and calibration equipment necessary is, in most cases, not readily available, field maintenance must be limited to certain practical operations if the accuracy of the instrument is to be retained.

It is the policy of the Boonton Radio Corporation to make available to its customers such service as is needed to maintain its products within specifications, as advertised, at a reasonable cost. If the accuracies of the Q Meter Type 260-A appear to be impaired, it is recommended that the instrument be returned to the factory. Maintenance operations beyond the scope of this section should be referred to the factory.

Generally, all troubles other than tube replacement and routine circuit repair, can best be handled at our factory. However, experienced engineers and technicians may replace thermocouple assemblies in the event of failure if our instructions are carefully followed.

NOTE: It is recommended that careful measurements be made, using a set of Inductors Type 103-A as soon as the Q Meter is placed in operation. These data should be filed for each individual Q Meter and reference made to these measurements in the event maintenance work becomes necessary. At least one measurement should be made near each end of the frequency band of each inductor. Similar measurements should be made using Q-Standards Type 513-A and 518-A in the event that recalibration of the instrument is ever necessary.

#### B. REMOVING THE INSTRUMENT FROM ITS CABINET.

Although removal of the instrument from its cabinet is a simple operation, it must be done with care.

Remove the screws from around the edge of the top and front panels and the 3 screws from the bottom of the instrument. The entire front panel and top may then be lifted out of the cabinet and carefully placed on end with the oscillator compartment nearest the bench.

The cable and plug connecting the voltage stabilizer (not present in the Type 260-AP) to the power supply may be removed from the power supply chassis if further separation of the instrument and cabinet is required.

If repair work on the Q Meter is interrupted, the instrument should be returned to its cabinet temporarily to prevent dust from settling between the plates of the resonating capacitor.

#### C. REPLACEMENT OF TUBES.

##### 1. GENERAL.

Four of the five electron tubes in the Q Meter Type 260-A may be replaced with commercial grade tubes. The Q voltmeter triode (V-301, type BRC 535-A), however, is specially manufactured and if replacement of this tube is necessary it must be obtained from the Boonton Radio Corporation. Any substitution may drastically impair operation of the Q Meter.

When any of the tubes, except the voltage regulators, V-402 (type OB2) and V-403 (type OA2) and rectifier V-401 (type 6X4), are replaced, recalibration

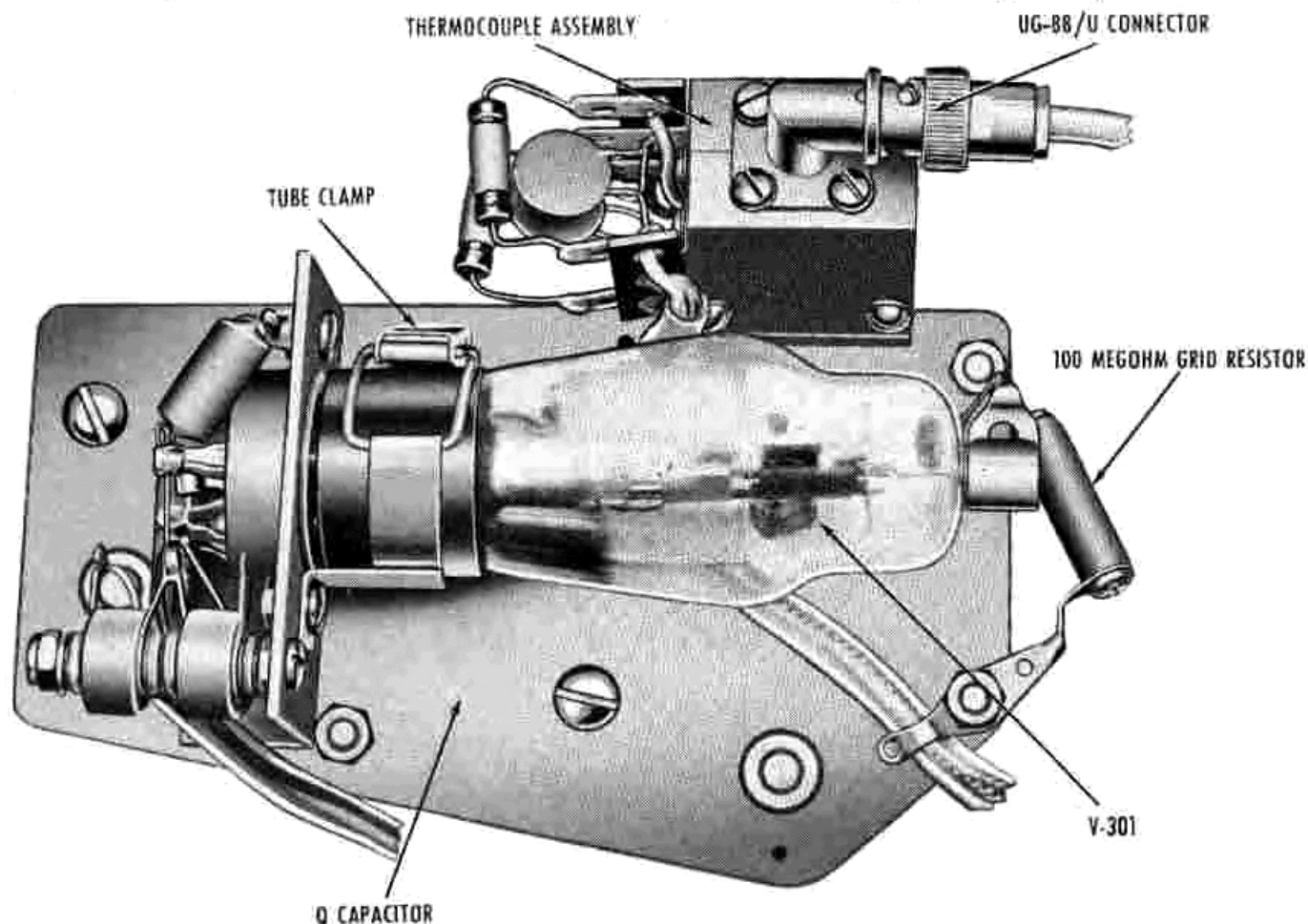


Figure VI-1 Resonating capacitor, Q voltmeter tube, and thermocouple assembly

is required to retain the full accuracy of the instrument. The procedures are described in this section. All components which require adjustment are shown in Figures VI-2 and VI-3.

## 2. REPLACEMENT OF THE VOLTMETER TUBE, V-301 (TYPE BRC 535-A).

*a.* Carefully remove the grid cap and release the clamp at the base of the tube (Figure VI-1).

*b.* Withdraw the tube from its socket, insert the new voltmeter tube and lock the clamp. Make certain no dust or grease is on the glass envelope and then replace the grid cap.

During the withdrawal and replacement of the tube, relieve any strain from the resonating capacitor frame by supporting the tube socket subchassis with one hand.

*c.* Check the voltmeter calibration as described in Section VI-E-1.

## 3. REPLACEMENT OF THE OSCILLATOR TUBE, V-101 (TYPE 5763).

*a.* Remove the nine screws which hold the cover in place on the oscillator compartment (Figure VI-2). It is suggested that the frequency control be turned clockwise so that the main variable oscillator capacitor is fully meshed to avoid accidental bending of the plates.

*b.* To remove the oscillator tube, first depress the shield and turn it slightly to the left, then lift off. Remove the faulty tube and insert the new tube. Properly align the pins of the new tube before applying pressure to the glass envelope. Replace the tube shield.

*c.* After replacing the compartment cover, check the oscillator calibration according to Section VI-E-2.

## 4. REPLACEMENT OF THE RECTIFIER, V-401 (TYPE 6X4) AND VOLTAGE REGULATORS, V-402 (TYPE OB2) AND V-403 (TYPE OA2).

*a.* These tubes are located on the power supply chassis (Figure VI-3) and are easily removed for replacement. No adjustments are required when any of these tubes are replaced.

## D. REPLACEMENT OF THE THERMOCOUPLE ASSEMBLY.

### 1. GENERAL.

Burn-out of the thermocouple may occur if it is subjected to a severe overload. For the prevention of thermocouple burn-out see Section III-C. If a burn-out does occur, a new thermocouple assembly must be ordered from our factory. This assembly includes a 0.02 ohm insertion resistor, a thermocouple, calibration resistors for the MULTIPLY Q BY meter, and filter capacitors.

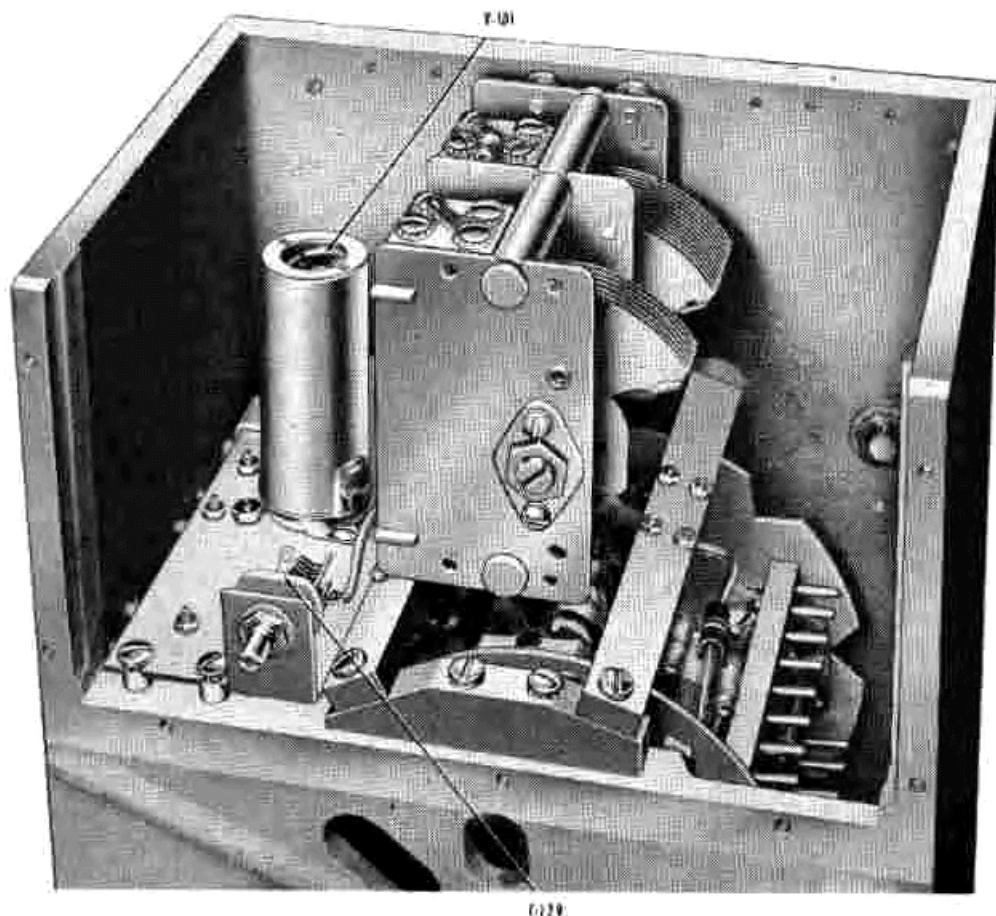


Figure VI-2 Oscillator compartment showing tube and calibration adjustment capacitor

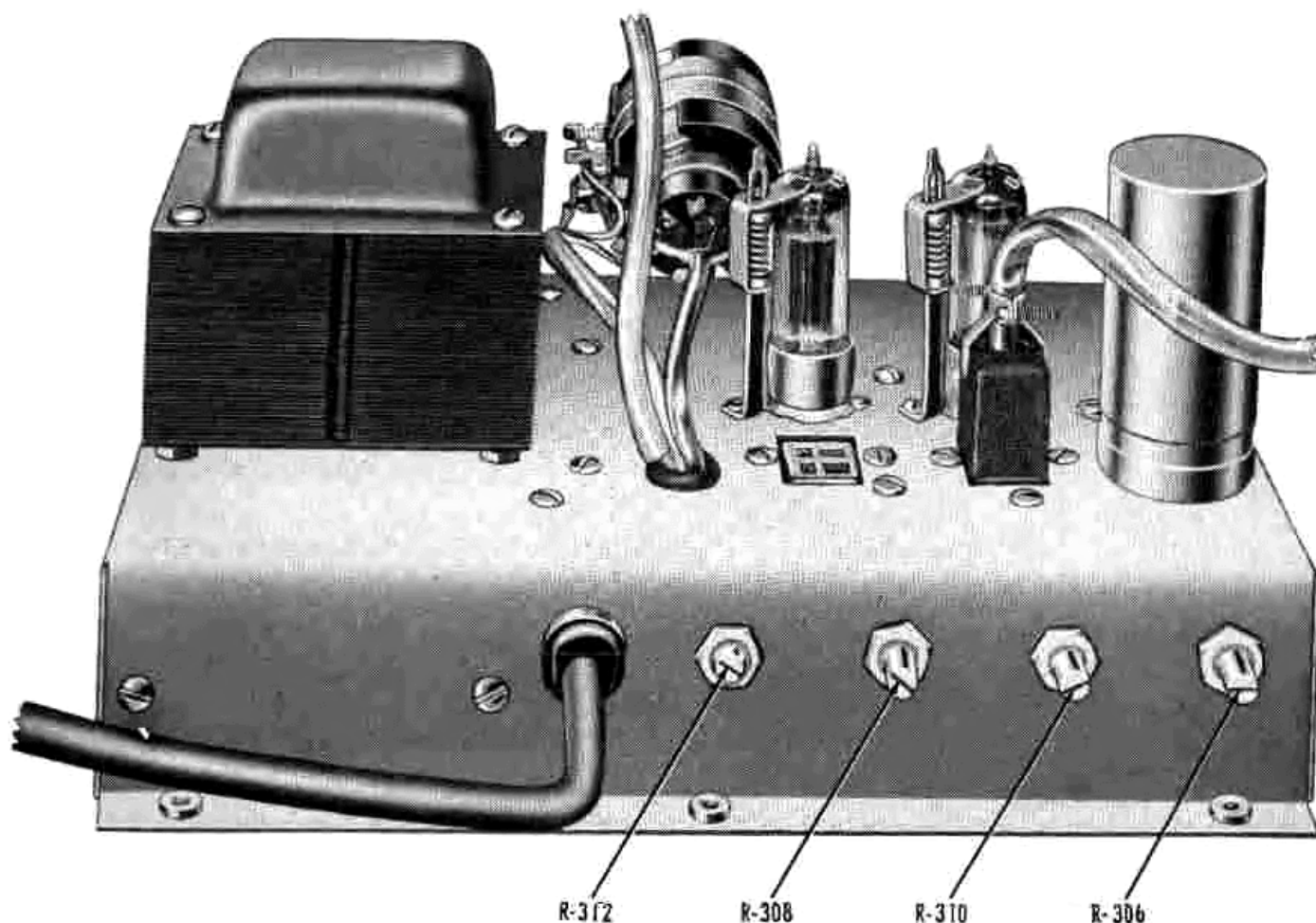


Figure VI-3 Power Supply chassis showing Q voltmeter calibration adjustments

NOTE: Because the value of the calibration resistors are partially determined by the internal resistance of the MULTIPLY Q BY meter, it is necessary that our factory know the type and serial number of the inoperative Q Meter. This information must be furnished when ordering a new thermocouple assembly.

## 2. REPLACEMENT OF THE THERMOCOUPLE ASSEMBLY.

a. Remove the UG-88/U plug from its receptacle at the rear of the thermocouple assembly (Figure VI-1).

b. Unscrew and remove the LO binding post finger nut to reduce the heat required to unsolder the strap. Then carefully unsolder the strap that emerges from

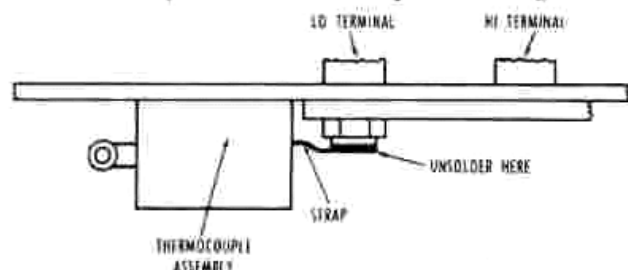


Figure VI-4 Location of injection circuit connecting strap

the assembly housing and connects to the bottom of the LO post. See Figure VI-4.

c. Remove the terminal lugs from the MULTIPLY Q BY meter, unsolder the ground lead, and unclamp the cable from the front panel and resonating capacitor frame.

d. Remove the four mounting screws for the thermocouple assembly located on top of the instrument just in back of the LO binding post. Carefully extract the assembly from the Q Meter.

e. Install the new unit and connect the attached cable to the MULTIPLY Q BY meter terminals. Observe the indicated polarity. Reclamp the cable to the resonating capacitor frame and front panel.

f. Trim the connecting strap to a length that will permit it to reach the LO post with a small amount of slack to allow for motion of the binding post. Carefully solder this strap to the bottom of the LO binding post. Replace the top nut on the binding post.

## E. ADJUSTMENT AND CALIBRATION.

### 1. VOLTMETER CALIBRATION.

When the voltmeter tube or other voltmeter circuit components are replaced, all voltmeter scales should be

recalibrated for maximum accuracy. The following equipment is required:

A signal source of 20 KC to 100 KC with an adjustable output up to 5 volts and less than 1 percent distortion. The d-c resistance of the source should not exceed one megohm. If the output is capacitively coupled to its terminals, connect a terminating resistor across the CAP terminals.

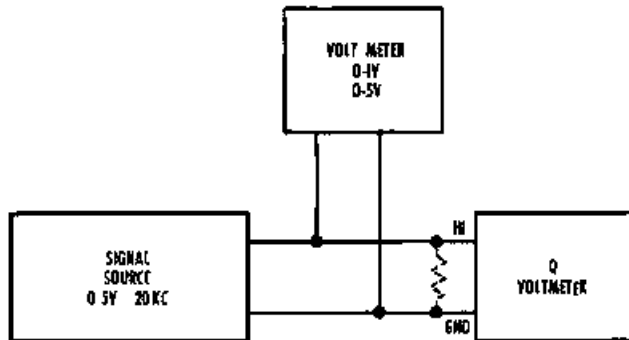


Figure VI-5 Q voltmeter calibration circuit

An a-c voltmeter, 0-1 and 0-5 volts, with an accuracy of 2 percent at the signal frequency.

Connections are shown in Figure VI-5. The procedure is as follows:

#### PRELIMINARY.

a. Adjust the mechanical zero of the CIRCUIT Q meter before turning on the power.

b. Because the output of the internal oscillator is not used during the voltmeter calibration, the XQ control need only be turned enough to actuate the power switch. Turn on the power and allow a warm up period of at least 15 minutes.

#### ZERO SET.

c. Strap the HI and GND terminals of the measuring circuit together.

d. To provide maximum control for the Q ZERO potentiometer, set the Q ZERO control to its mid-position and approximately zero the CIRCUIT Q meter with R-312 (Figure VI-3).

e. Carefully zero the CIRCUIT Q meter using the Q ZERO control and both the Q and LOW Q positions of the lever key as described in Section III-E-1-e.

f. Remove the shorting strap and set the resonating capacitor at minimum capacitance. Connect the calibrating equipment as shown in Figure VI-5.

#### Q VOLTMETER.

g. Apply successively 5, 4, 3, 2, and 1 volt, adjusting R-310 (Figure VI-3) to obtain the best overall accuracy of Q readings which should be 250, 200, 150, 100, and 50, respectively.

#### LOW Q VOLTMETER.

h. With the lever key depressed to the LOW Q position, successively apply 1.2, 1.0, 0.8, 0.6, 0.4, and 0.2 volts, adjusting R-308 (Figure VI-3) to obtain the best overall accuracy of LOW Q readings which should be 60, 50, 40, 30, 20, and 10, respectively.

#### $\Delta Q$ VOLTMETER.

i. Apply 3.0 volts to the Q voltmeter.

j. Raise the lever key to the  $\Delta Q$  position and adjust the COARSE and FINE  $\Delta Q$  BALANCE controls until the meter needle reads 50 on the  $\Delta Q$  (red) scale. Note: This is *not* the usual operating adjustment: ordinarily the meter needle is adjusted for a  $\Delta Q$  of zero.

k. With the lever key still in the  $\Delta Q$  position, apply successively 3.2, 3.4, 3.6, 3.8, and 4.0 volts, adjusting R-306 (Figure VI-3) to obtain the best overall accuracy of  $\Delta Q$  readings which should be 50, 40, 30, 20, 10, and 0, respectively.

## 2. OSCILLATOR CALIBRATION

### (C-129 ADJUSTMENT).

When the oscillator tube is changed, it is necessary to check the frequency calibration. Because a tube change affects only the capacitance of the circuit, recalibration is only necessary on one frequency band.

A 10 MC crystal calibrator is recommended for this operation. However, standard broadcast stations may be satisfactorily used in lieu of the crystal calibrator.

To calibrate the oscillator, proceed as follows:

a. Turn on the Q Meter and allow at least 15 minutes warm-up time.

b. Connect the r-f input terminals of the crystal calibrator to the LO and GND terminals of the measuring circuit.

c. Adjust the calibrator to 10 MC.

d. Switch the frequency range to the 4.2-10 MC range. Set the MEGACYCLE dial to exactly 10 MC.

e. Adjust the XQ controls for a reading of 1.0 on the MULTIPLY Q BY meter.

f. Carefully adjust C-129 (Figure VI-2) until a zero beat is heard in the calibrator headset.

Standard broadcast stations in the neighborhood of 700 KC or 1500 KC may also be used, in conjunction with a radio receiver, to calibrate the oscillator. The upper ends of either the 300-700 KC or 700-1700 KC ranges may be used to zero beat the Q Meter oscillator with the station carrier.

## F. POWER SUPPLY CHECK.

A check of the power supply should be made if the Q Meter is operating erratically and no other fault is apparent. All the important voltages may be checked between the points listed below and ground. Erratic operation of either regulator tube can often be determined by visual examination. Fluctuations of the discharge glow within the tube is usually evidence of a poor regulator tube.



Test	Voltage	Pin	Socket	Tolerance
Unregulated d-c voltage	Variable with range (Approx. 315 VDC on range 1 to 285 VDC on range 8)	1	J-401	
*Oscillator screen voltage	Variable with XQ controls	6	J-401	
Regulated d-c for Q voltmeter	258 VDC	1	V 402	$\pm 2$ volts
Regulated d-c for Q voltmeter	150 VDC	1	V 403	$\pm 1$ volt
Q voltmeter heater	2.25 VAC	6	V 301	$\pm 1\%$
Oscillator heater	6.0 VAC	3	J-401	$\pm 1\%$

Instrument required: DC/AC Multitester,  $\pm 2\%$ , 1,000 ohms/volt or more

## G. TROUBLE SHOOTING.

### 1. GENERAL.

The electrical simplicity of the circuitry of the Q Meter Type 260-A makes trouble shooting a straightforward operation. Observation of the two meters and a few simple tests will sometimes indicate the trouble before the instrument is removed from its cabinet. If further investigation is necessary, reference to the schematic diagram, combined with continuity and voltage analysis with a multitester will usually reveal the source of trouble.

A few troubles which may be encountered are given below in terms of external symptoms, together with the probable cause(s). It should be remembered, however, that in addition to the probable cause(s) given in this table, any of these troubles may be due to defective components, such as resistors, capacitors, transformers, etc.

Symptom	Possible Cause(s)
No meter indications of any kind.	Faulty rectifier tube.
Downward deflection of CIRCUIT Q meter. No Q ZERO adjustment possible. Normal MULTIPLY Q BY readings.	Faulty Q Voltmeter tube (V301).
Erratic Q readings.	Faulty voltage regulator tubes (V402, V403).
No MULTIPLY Q BY readings. CIRCUIT Q meter reacts to the touch of a finger on the H1 terminals.	Faulty oscillator tube (V101) or burned-out thermocouple unit. The trouble may be isolated by listening for oscillations with a radio receiver.
Impossible to set $\Delta Q$ meter to zero.	Check R304, R306 and R307.
No CIRCUIT Q meter reading on LO Q.	Check S301, R308.

\*Do not increase this voltage without observing the reading on the MULTIPLY Q BY meter. THIS READING SHOULD NEVER EXCEED X 10.

Symptom	Possible Cause(s)
CIRCUIT Q meter reads near mid-scale, no zero adjust.	Faulty bucking voltage bleeder resistor. Check R305, R307, R311 and R312.
Irregular or erratic readings on Q, $\Delta Q$ , LO Q scales.	Dirty contacts or loose wipers on potentiometers or key switch.

## APPENDIX

### A. NOMENCLATURE.

In the following nomenclature for parallel and series measurements, the subscript 1 (as in  $C_1$ ,  $Q_1$ ) will denote values measured with only the work coil connected to the measuring circuit. The subscript 2 (as in  $C_2$ ,  $Q_2$ ) will refer to values measured after the unknown is added to the circuit.

For other measurements the subscript 1 will refer to the first reading while the second reading will be identified by the subscript 2.

Subscripts "p" and "s" will denote parallel and series parameters, respectively.

The units are defined as follows:

C = capacitance of the Q capacitor as indicated on the main and vernier dials (farads)

Q = indicated Q observed on the meter

$\Delta Q$  = change in Q,  $\Delta Q = Q_1 - Q_2$

f = oscillator frequency (cys/sec)

$\omega = 2\pi f$

L = inductance (henries)

R = resistance (ohms)

$L_m$  = residual inductance referred to the COIL terminals (henries)

$L_c$  = residual inductance referred to the capacitor (CAP) terminals (henries)

$G_1$  = input conductance of the Q voltmeter (mhos)

$C_d$  = distributed capacitance of an inductor (farads)

$f_0$  = self-resonant frequency of an inductor (cys/sec)

### B. DISTRIBUTED CAPACITANCE.

#### 1. GENERAL.

The presence of distributed capacitance in a coil modifies the effective Q and inductance of the coil. At the frequency at which the distributed capacitance and the inductance of the coil are resonant, the circuit exhibits a purely resistive impedance. Typical variations of the effective Q and L under these conditions with frequency are shown in Figure A. The true Q and in-

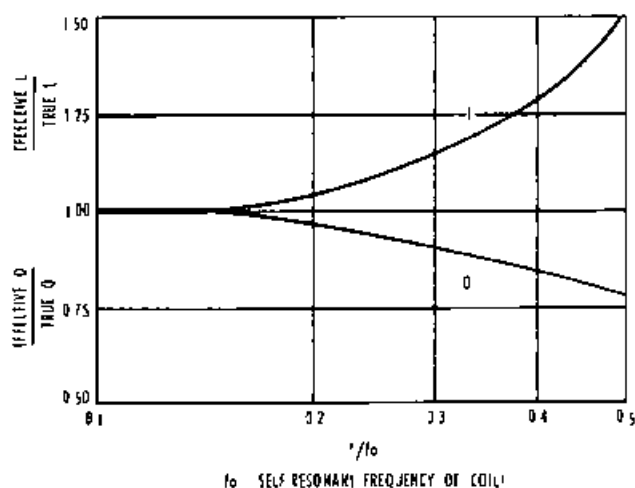


Figure A Typical variation of effective Q and inductance with frequency

ductance may be determined, however, if the value of distributed capacitance is known. Figure B is a chart which gives ratios of effective inductance to true inductance and true Q to effective Q for various values of distributed capacitance and Q capacitance.

The chart also illustrates that the effective inductance and Q will closely approximate true values if the distributed capacitance is not excessive and the Q capacitance which tunes the coil is large.

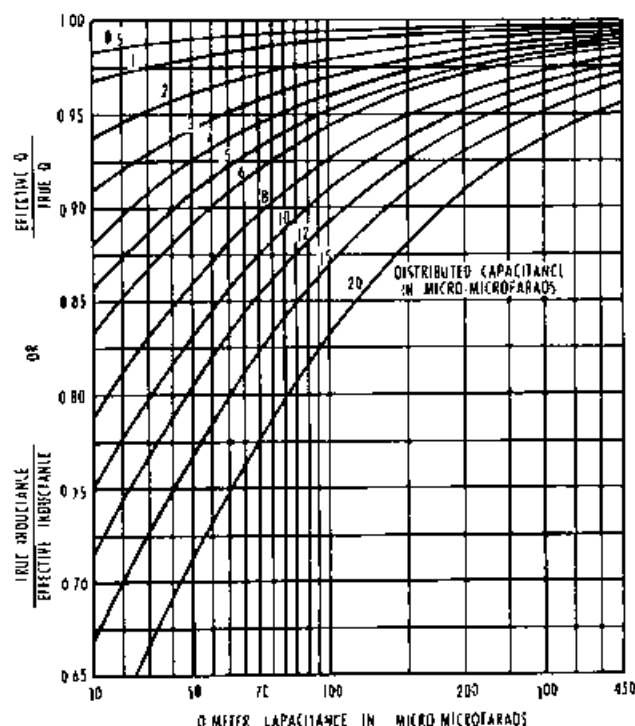


Figure B Correction chart for distributed capacitance

## 2. MEASURING $C_d$ (PREFERRED METHOD)

The impedance of a coil at its self-resonant frequency is resistive and usually high. This characteristic may be utilized for the measurement of distributed

capacitance. Proceed as follows.

a. Set the resonating capacitor to about  $400 \mu\text{f}$ . Call this value  $C_1$ .

b. Connect the coil to be measured to the COIL terminals and resonate the measuring circuit by adjusting the oscillator frequency. When resonance is established, note frequency  $f_1$ .

Now find the self-resonant frequency of the coil, as follows:

c. Reset the oscillator frequency to approximately ten times  $f_1$  and replace the test coil with a work coil capable of resonating in the measuring circuit at this higher frequency.

d. Adjust the resonating capacitor for circuit resonance.

e. Connect the test coil to the CAP terminals and restore resonance by readjusting the resonating capacitor.

f. If the capacitance has to be increased, increase the oscillator frequency until alternately connecting and disconnecting the test coil to the CAP terminals changes the indicated Q but does not affect the tuning. Call this frequency the self resonant frequency,  $f_2$ . Likewise, if the capacitance must be decreased, the frequency should be decreased until the self-resonant frequency of the coil obtains. Unless the required change of capacitance is very small, the frequency should be changed at first in reasonably large steps for example, 20 to 30 percent.

The distributed capacitance may be found from,

$$C_d = \left( \frac{C_1}{f_1^2} \right) \left( \frac{f_2^2}{f_1^2} - 1 \right) \quad (\text{farads}) \quad (1)$$

If  $f_2 \gg f_1$ , this expression reduces to

$$C_d = \left( \frac{f_2}{f_1} \right)^2 C_1 \quad (\text{farads})$$

## 3. MEASURING $C_d$ (APPROXIMATE METHOD— $C_1 \geq 10 \mu\text{f}$ )

The distributed capacitance of coils with large values of  $C_1$  may be approximated with a simple measuring procedure.

a. Set the resonating capacitor to about  $50 \mu\text{f}$ . Call this value  $C_1$ .

b. Connect the test coil to the COIL terminals and resonate the measuring circuit by adjusting the oscillator frequency. Note this frequency as  $f_1$ .

c. Reset the oscillator to a lower frequency,  $f_2$ , equal to  $f_1/n$ . Restore resonance by increasing the resonating capacitance. Let this new value of capacitance be  $C_2$ . The distributed capacitance is then,

$$C_d = \frac{(C_2 - n C_1)}{n^2 - 1} \quad (\text{farads}) \quad (2)$$

If  $f_2$  is made exactly one half of  $f_1$ , then

$$C_d = \frac{C_2 - 4C_1}{3} \quad (\text{farads})$$



An average of several measurements using different values of  $C_1$  will improve the results of this measurement. The best accuracy to be expected with this method, however, is to the order of  $\pm 2 \mu\text{mf}$ .

#### 4. CORRECTION FOR Q

The effective Q of a coil with distributed capacitance is less than the true Q by a factor that depends on the value of the distributed capacitance and the measuring circuit resonating capacitance. It can be shown that,

$$\text{true } Q = Q \left( \frac{C + C_1}{C} \right) \quad (3)$$

Where  $Q$  = effective Q of the coil  
and  $C$  = measuring circuit resonating capacitance

The effective Q can usually be considered the indicated Q. Exceptions are discussed in Section V.

A graphical solution for the above equation is given in Figure B.

#### 5. CORRECTION FOR INDUCTANCE (MEASURED AT COIL TERMINALS).

The Q Meter Type 260-A measures the effective inductance of coils, except where the measured inductance is in the vicinity of 0.5 microhenries or less. In these cases, the internal inductance of the measuring circuit,  $L_{int}$ , must be subtracted from the measured value (see Section V).

The effective inductance of a coil with distributed capacitance is somewhat greater than its true inductance. Ratios of true inductance to effective inductance can be found from Figure B for various values of distributed and resonating capacitance. The true inductance can also be calculated from,

$$\text{true inductance} = L \left( \frac{C}{C + C_1} \right) \quad (\text{henries}) \quad (4)$$

where  $L$  = effective inductance of the coil  
and  $C$  = measuring-circuit resonating capacitance

While the true inductance may be calculated from the above equation or obtained graphically from Figure B, a simpler method can be used which utilizes both scales on the resonating capacitor dial. This dial contains an inductance scale based at selected frequencies, on the equation,  $L = 1/\omega^2 C$  where  $C$  can be read directly above the measured inductance on the capacitance scale. This is the effective inductance of the coil. The true inductance resonates with the *sum* of the resonating capacitance and the distributed capacitance, thus,  $\text{true } L = 1/\omega^2 (C + C_1)$ .

If the distributed capacitance is known, a correction yielding true inductance can be made as follows:

a. If the approximate value of inductance is known, select the appropriate measuring frequency from the

INDUCTANCE-FREQUENCY chart on the panel. Set the frequency controls to the designated frequency.

b. Using the XQ controls, adjust the MULTIPLY Q BY meter to read 1.0 (use a higher multiplying factor for coils of  $Q > 250$ ).

c. Resonate the coil by adjusting the resonating capacitor control for a maximum deflection of the CIRCUIT Q meter.

If the inductance cannot be estimated, resonate the coil at any frequency, then move the oscillator frequency to the nearest frequency specified on the chart, changing the Q capacitor accordingly.

d. Read the *effective* inductance of the coil on the  $L$  scale of the Q capacitor dial. The value shown on this scale must be multiplied by an appropriate factor, depending on the frequency used and the corresponding range of inductance.

e. With the measuring circuit at resonance, note the value of Q capacitance and add to this the distributed capacitance of the coil. Advance the dial then, to read the sum of  $C$  plus  $C_1$ . Although the measuring circuit is detuned by this procedure, the true inductance of the coil can now be read directly on the inductance scale.

This correction is shown in Figures C-1 and C-2 for a coil whose effective inductance was 49 microhenries and distributed capacitance measured 7 micro-microfarads. The true inductance of the coil was found to be 45 microhenries.

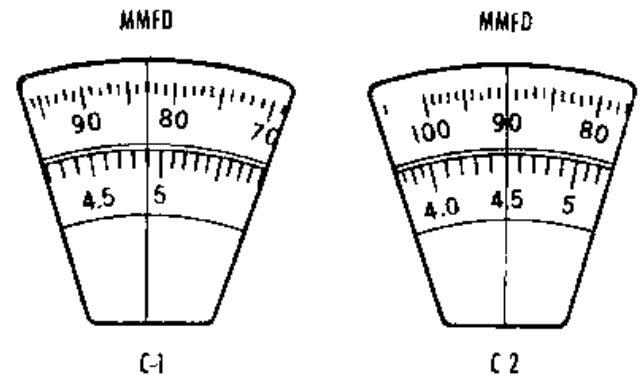


Figure C Using the LC dial to determine true inductance

#### C. PARALLEL MEASUREMENTS.

##### 1. GENERAL

High impedance components such as high value resistors, certain inductors, and small capacitors, are measured by connecting them across the CAP terminals. This connection is shown in Figure III-2. Before the unknown is connected, however, the measuring circuit must be resonated, using an inductor Type 195-A or other stable coil, to establish reference values of Q and C. Then, when the component under test is connected in the circuit and the capacitor is readjusted for resonance, the altered values of Q and C can be combined

with the reference values in equations which yield the parameters of the unknown specimen

## 2. LARGE RESISTORS.

When the measuring circuit is at resonance (using a work coil), a resistor placed in parallel with the resonating capacitor will lower the indicated  $Q$ . The smaller this resistance, the greater the reduction of  $Q$ . A reasonable range of resistance may be measured with the parallel method, providing that  $\Delta Q$  is not less than 5, nor the indicated  $Q$  reduced below 10.

The limits of measurable resistance are dependent on frequency and both maximum and minimum limits decrease as the frequency increases. Figure D shows approximate limits for both parallel and series measurements. These limits are based on a maximum  $Q_0$  of 250, although higher  $Q$ 's are feasible for measurements outside the ranges shown. The lower limits for parallel measurements may also be extended by using external standard capacitors connected to the CAP terminals.

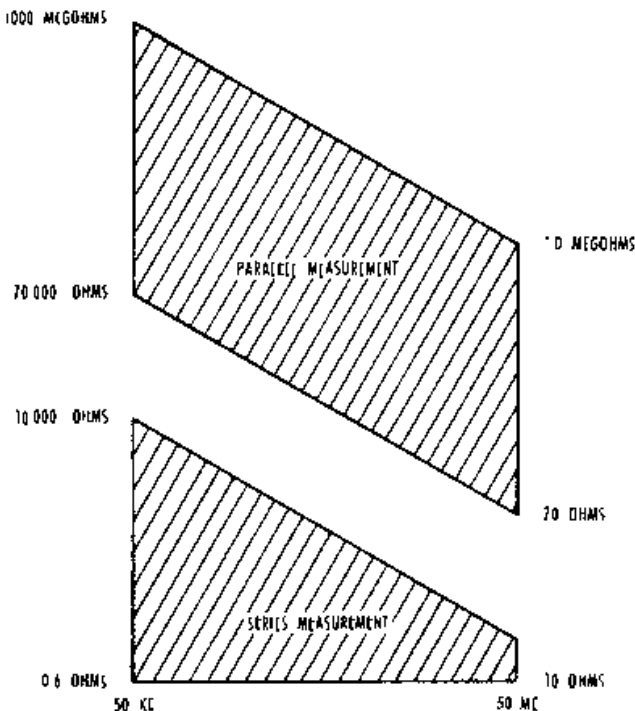


Figure D Ranges of measurable resistance

The following procedure may be used for the measurement of large resistors:

a. Set the oscillator controls to the desired measuring frequency.

b. Connect a suitable work coil to the COIL terminals and adjust the resonating capacitor for resonance mentally noting this value of  $Q_0$ . Set the MULTIPLY Q BY meter to the appropriate multiplying factor; preferably  $X_1$ .

The work coil should be selected so that larger resistors are measured with small values of resonating

capacitance and smaller resistors are measured with large values of tuning capacitance.

c. Set the  $\Delta Q$  coarse control (outer knob) and its attached dial to the approximate value of  $Q_0$ . Lift the lever key to the  $\Delta Q$  position and adjust the fine  $\Delta Q$  BALANCE control (center knob) for a meter reading of zero on the  $\Delta Q$  scale (full scale deflection). Recheck the tuning with the lever key in this position for exact resonance (as indicated by a maximum deflection to the right) and, if necessary, reset the  $\Delta Q$  zero.

d. Release the lever key and make the desired circuit change. Restore resonance to the circuit and again lift the lever key to the  $\Delta Q$  position. Carefully recheck the tuning for resonance (minimum  $\Delta Q$  reading) and read the change in  $Q$  on the  $\Delta Q$  (red) scale. This value of  $\Delta Q$  must be multiplied by the setting on the MULTIPLY Q BY meter. Release the lever key before making other changes.

If the change in  $Q$  exceeds the limit of the scale, the difference should be calculated arithmetically from the two  $Q$  values, viz.,  $\Delta Q = Q_1 - Q_2$ .

The parameters of the resistor are:

$$R_p = \frac{Q_0 Q_1}{\omega C_1 \Delta Q} \quad (\text{ohms}) \quad (5)$$

If the resistor is also reactive,

$$X_p = \frac{1}{\omega(C_2 - C_1)} \quad (\text{ohms}) \quad (\text{usually capacitive}) \quad (6)$$

$$\text{and } C_1 = C_2 - C_0 \quad (\text{farads}) \quad (7)$$

If the resistor is inductive, ( $C_2 > C_1$ ), the sign of Eq. (6) will be positive.

## 3. SMALL CAPACITORS.

Capacitors of less than about 430 micro-microfarads can be measured by a simple substitution method on the Q Meter.

a. Connect a work coil\* to the COIL terminals and set the  $Q$  capacitor to a convenient value. Call this value  $C_1$ . If the capacitance of the test capacitor is known approximately, select a value of  $C_2$  such that the difference between  $C_1$  and the test capacitance falls between 30 and 100  $\mu\mu\text{f}$ .

b. Adjust the frequency controls for circuit resonance. If the  $Q$  of the test capacitor is desired, proceed according to Section C-2, above. If the  $Q$  is not required, continue with the next step.

c. Connect the unknown capacitor to the CAP terminals and adjust the resonating capacitor to restore resonance. Note  $C_2$ . The parameters of the capacitor are:

$$C_p = C_1 - C_2 \quad (\text{farads}) \quad (7)$$

$$\text{and } Q = \frac{Q_1 Q_2 (C_1 - C_2)}{\Delta Q C_1} \quad (8)$$

\*Unless the capacitance of the unknown capacitor requires investigation at a particular frequency, it is advisable to use a work coil that will resonate at 1.0 MC or less. Normal lead length will not affect the measured capacitance at these frequencies.

Values of capacitance less than 6 micro-microfarads can best be measured with the vernier capacitor using a procedure similar to that just described.

#### 4. LARGE INDUCTORS.

Although large coils (say, greater than 100 millihenries), can be measured by the parallel method, other means are often more satisfactory. For example, using a frequency less than 50 KC with an external oscillator and/or external capacitance connected in parallel with the resonating capacitor while the inductor is connected in a normal manner to the COIL terminals.

As the measuring frequency approaches the self-resonant frequency of the coil, however, the parallel method must be used to measure the effective inductance just below resonance, the impedance at resonance, and the apparent capacitance above  $f_0$ . Overtones in the coil can also be discovered by this means. Measurements made on a typical 1.0 millihenry r-f choke and a 250 microhenry coil are shown in Figure E.

The measuring procedure for the parallel connection of coils is similar to that described previously for

capacitors, but in this instance the resonating capacitance must usually be increased to restore resonance after the coil is connected to the CAP terminals.

a. Set the oscillator to the required measuring frequency

b. If possible, select a work coil which will allow the measuring circuit to resonate at this frequency with a resonating capacitance of 30 to 70  $\mu\mu\text{f}$ . For convenience only, adjust the main capacitor dial to the nearest round value and call this  $C_1$ . Make the final adjustment for resonance with the vernier capacitor. Note: If the vernier is not changed during the measurement, its value will not affect the calculated effective inductance. When calculating the effective Q, however, the value of  $C_1$  in the denominator of Eq (8) must be the sum (or difference) of the readings on the main and vernier capacitor dials.

c. Connect the test coil to the CAP terminals and restore resonance by increasing the resonating capacitance. Note the value of  $C_2$ .

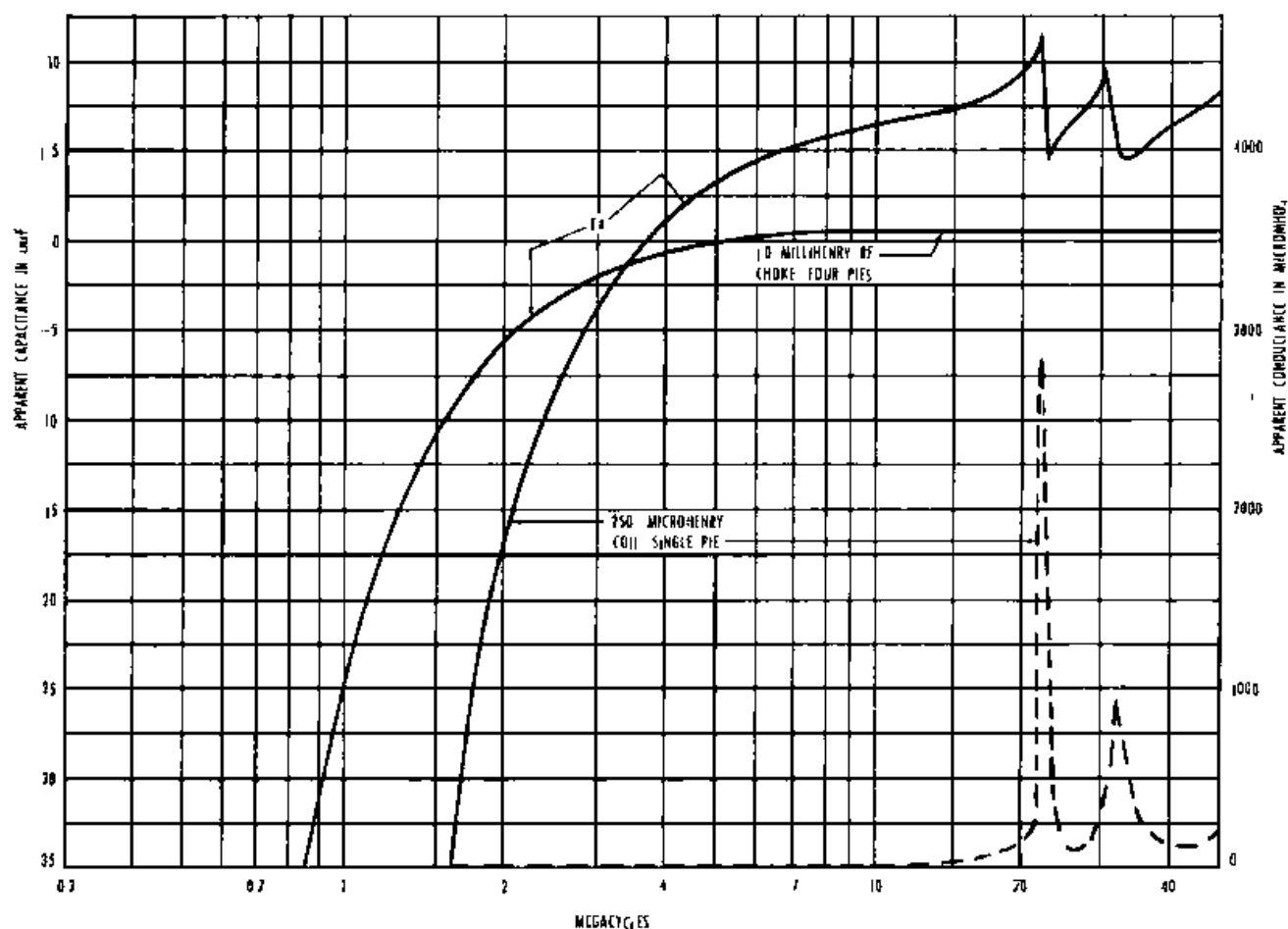


Figure E Apparent capacitance and conductance of two rf chokes in the vicinity of self-resonance

The inductance of the unknown coil is:

$$\text{effective inductance} = 1/\omega(C_2 - C_1) \text{ (henries)} \quad (9)$$

and the effective Q equals,

$$\text{effective } Q = \frac{Q_1 Q_2 (C_2 - C_1)}{\Delta Q C_1} \quad (8)$$

If the measuring frequency, however, is greater than the self-resonant frequency of the coil, the coil under test will not appear inductive but is capacitive, and  $C_2$  will be less than  $C_1$ . A convenient expression for coils in the neighborhood of self-resonance and at frequencies greater than  $f_0$  is,

$$\text{apparent capacitance, } C = C_1 - C_2 \text{ (farads)}$$

Another useful expression for coils operating under these conditions is,

$$\text{apparent conductance, } G_1 = \frac{\omega C_1 \Delta Q}{Q} \text{ (mhos)}$$

The expression, *large*, used in this section is relative and a significant parallel measurement can be made with coils of only normal inductance, but which are designed to tune with values of capacitance less than the minimum 27  $\mu\text{f}$  of the resonating capacitor. A great number of coils known as "peaking" coils fall in this category.

While the inductance of such coils can be found with the equation just given for effective inductance, it should be emphasized that an advantage of measuring coils by the "direct method", is that the capacitance required to tune the coil at the measuring frequency is given directly on the resonating capacitor dial. The distributed capacitance of the coil is taken into account with the "direct measurement".

If the capacitance required to tune a coil which normally resonates with less than 27  $\mu\text{f}$  is desired, a direct measurement is impossible, due to the minimum resonant capacitance in the Q Meter measuring circuit. A parallel measurement, however, will yield the desired information, including the effects of distributed capacitance.

d. Proceed according to steps a, b, and c. above.

e. The capacitance required to tune the coil at the measuring frequency is simply,

$$C = C_2 - C_1$$

This measurement accounts for distributed capacitance and provides the same information with respect to tuning capacitance as would a direct connection to the COIL terminals.

## D. SERIES MEASUREMENTS.

### 1. GENERAL.

Low impedance components, which include low value resistors, small coils, and large capacitors, are measured in series with the measuring circuit. Figure III-3 shows this connection. The specimen to be measured is placed in series with a reference coil between the LO

terminal and the low potential end of the reference coil. A heavy shorting strap should be employed to short-circuit the unknown component while a reference condition is established. The strap can then be opened, or removed, and the measuring circuit re-resonated. This procedure permits the specimen to be physically connected even though it is electrically out of the circuit and eliminates possible errors by maintaining the relative positions of the work coil and unknown component. If production measurements require this connection, it is advisable to construct a simple jig to provide terminals for the unknown specimens and a shorting plug to establish reference values of C, Q, and frequency. Such a jig will also facilitate laboratory measurements. Two 6-32 inserts are located near the measuring-circuit terminals for the mounting of special Q Meter jigs.

### 2. SMALL RESISTORS.

A small resistor connected in series with a work coil will lower the *indicated* Q and thus produce information for the calculation of the resistance. The higher this resistance, the greater the reduction of Q. The resistance must be sufficient to make  $\Delta Q$  equal 5, but not large enough to reduce the *indicated* Q below 10. Within these limits, a range of resistance shown in Figure D can be measured.

The following procedure is recommended:

a. Set the oscillator controls to the desired measuring frequency. Adjust the XQ controls for a suitable MULTIPLY Q BY reading, preferably X1.

b. Connect a suitable work coil and the unknown resistor in series and place a shorting strap across the resistor. Connect the series combination to the COIL terminals with the strapped resistor next to the LO terminal.

The work coil should be selected so that larger resistors are measured with small values of resonating capacitance and smaller resistors are measured with large values of resonating capacitance.

c. Resonate the measuring circuit with the resistor shorted. Mentally note the value of  $Q_1$ .

d. Set the  $\Delta Q$  coarse control to the approximate value of Q. Lift the lever key to the  $\Delta Q$  position and adjust the fine  $\Delta Q$  BALANCE control for a  $\Delta Q$  reading of zero. Recheck the tuning with the lever key in this position for exact resonance (indicated by maximum deflection to the right). If necessary, reset the  $\Delta Q$  zero.

e. Release the lever key and remove the short from across the resistor. Restore resonance and again lift the lever key to the  $\Delta Q$  position. Carefully recheck the tuning for resonance and read the change in Q on the  $\Delta Q$  (red) scale. Multiply this value by the reading on the MULTIPLY Q BY meter.

The parameters of the resistor are:

$$R = \left( \frac{C_1}{C} \right) Q_1 - Q_2 \quad \text{(ohms)} \quad (10)$$

$$\omega C_1 Q Q$$

If  $R_s$  is very small and  $Q_s$  approximates  $Q_1$ , it is recommended that the value of  $Q$  be obtained by subtracting  $\Delta Q$  from the measured value of  $Q_1$ . The reactance of the resistor may be found from,

$$X_s = \frac{(C_1 - C_2)}{\omega C_1 C_2} \quad (\text{ohms}) \quad (11)$$

If the resistor is purely resistive,  $C_1 = C_2$ , the equation for resistance reduces to,

$$R_s = \frac{\Delta Q}{\omega C_1 Q_1 Q_2} \quad (\text{ohms})$$

Other equations can be found in Table I.

### 3. SMALL INDUCTORS.

Measurement of small coils at relatively low frequencies cannot be made directly at the COIL terminals. The following series method is recommended.

a. Set the oscillator controls to the desired measuring frequency.

b. Connect the unknown coil in series with the work coil, between the LO terminal and the low potential end of the work coil. Provide a heavy shorting strap, which may be placed across the unknown coil.

c. With the shorting strap connected across the coil, adjust the resonating capacitor for resonance and note  $C_1$ . The work coil selected should allow  $C_1$  to be about 400  $\mu\text{f}$ .

d. Remove the short from across the unknown coil and restore resonance by decreasing the resonating capacitor. Note  $C_2$ . The inductance may be found from,

$$L_s = \frac{(C_1 - C_2)}{\omega^2 C_1 C_2} \quad (\text{henries}) \quad (12)$$

If the  $Q$  of the coil is required, it may be calculated from,

$$Q = \frac{Q_1 Q_2 (C_1 - C_2)}{C_2 Q_1 - C_1 Q_2} \quad (13)$$

### 4. LARGE CAPACITORS.

The series measuring method is also suitable for the measurement of large capacitors. The procedure is similar to that given for small inductors with the following exceptions.

a. A large resistor should be connected across the unknown capacitor to provide a d-c grid return for the  $Q$  voltmeter tube. 10 megohms should be satisfactory for most applications.

b. The initial setting of resonating capacitance should be just low enough so that the addition of the unknown capacitor in series with the work coil will not require a value of  $C$  greater than 400  $\mu\text{f}$  in order to restore resonance to the measuring circuit. In general  $C_1$  need not be less than about 200  $\mu\text{f}$ .

c. The effective capacitance of the series capacitor may be calculated using the equation,

$$C_s = \frac{C_1 C_2}{(C_2 - C_1)} \quad (\text{farads}) \quad (14)$$

The  $Q$  of the capacitor may be found with Eq. (13).

This measuring technique is also convenient for finding the self-resonant frequency of by-pass capacitors. At that frequency the impedance of the capacitor is a minimum owing to series resonance between the capacitance and the lead inductance.

The self-resonant frequency of the capacitor can be found by alternately connecting and disconnecting the shorting strap while the frequency is increased in relatively large increments until a frequency is reached where  $C$  (strap removed) is less than  $C$  (capacitance shorted). Now decrease the frequency in smaller increments until  $C$  equals  $C_1$ . The impedance of the capacitor is resistive at this frequency ( $f$ ) and equals,

$$R_s = \frac{\Delta Q}{\omega C_1 Q_1 Q_2} \quad (\text{ohms})$$

For example, a 0.01  $\mu\text{f}$  paper tubular capacitor with 2 inch leads (total length) was found to be resonant at 5.2 MC. The impedance at this frequency was only 0.10 ohms (resistive).

### E. RULES FOR THE CORRECTION OF ERRORS.

When circumstances call for measurements of a high degree of accuracy, the following corrections should be made in the order listed and partially corrected values used in each succeeding step.

#### 1. DIRECT CONNECTION OF COILS.

##### a. $Q$ and $R$

Correct indicated  $Q$  for

(1)  $Q$  voltmeter conductance,

$$Q_s = \frac{Q_1}{1 - \frac{Q_1 G}{\omega C_1}} \quad (15)$$

(Usually negligible if  $C \geq 100 \mu\text{f}$  and  $Q \leq 150$ , between 500 KC and 30 MC.)

(2) Insertion resistance:

$$Q_s = \frac{Q_1}{1 - \frac{\omega C_1 R_s}{50}}$$

(See Figure V-1 for limits of  $Q$  in error by 5 percent for attendant values of  $C$  and frequency.)

(3) Distributed capacitance,

$$C_1 = \frac{C_d}{\left(\frac{f_0}{f}\right)^2 - 1}$$

(See Figure A for a guide concerning the importance of  $C_1$ .)

*b. L*

Correct the measured inductance for:

(1) Internal inductance;

$$L_c = L_{meas} - L_m$$

(Requires correction only if  $L \leq 0.5 \mu\text{h.}$ )

(2) Distributed capacitance

$$\text{true inductance} = L \left( \frac{C}{C + C_d} \right)$$

(Usually negligible only if  $L \leq 1.0 \mu\text{h.}$ )

2. PARALLEL CONNECTION.

*a. R<sub>p</sub>*

No correction needed below 20 MC. Above 20 MC, if the internal inductance,  $L_i$ , is not negligible compared with the effective inductance of the work coil, correct the value of resonating capacitance,  $C$ , for that portion of residual inductance which appears between the CAP terminals, using the following equation.

$$\text{effective capacitance} = \frac{C}{1 - \frac{1}{\omega^2 L_c C}} = \frac{C}{1 - \omega^2 L_c C} \quad (15)$$

Use this value of effective capacitance in place of  $C$  in the equation

$$R_p = \frac{Q_1 Q_2}{\omega C_1 \Delta Q}$$

*b. X<sub>p</sub>, C<sub>p</sub>, and L<sub>p</sub>*

No corrections needed, except as noted above for  $R_p$ . Values of both  $C_1$  and  $C_2$  should be corrected using equation 15 and substituting in the following:

$$X_p = \frac{1}{\omega(C_2 - C_1)}$$

$$C_p = C_1 - C_2, \text{ and}$$

$$L_p = \frac{1}{\omega^2(C_2 - C_1)}$$

*c. Q*

Same as for  $X_p$ .

3. SERIES CONNECTION.

*a. R<sub>s</sub>*

Same as for  $R_p$ . Use effective capacitance in place of  $C$  in the equation

$$R_s = \frac{\left( \frac{C_1}{C_2} \right) Q_1 - Q_2}{\omega C_1 Q_1 Q_2}$$

*b. X<sub>s</sub>, L<sub>s</sub>, and C<sub>s</sub>*

Same as for  $X_p$ . When necessary, use effective values of  $C_1$  and  $C_2$  in the following:

$$X_s = \frac{C_1 - C_2}{\omega C_1 C_2}$$

$$L_s = \frac{C_1 - C_2}{\omega^2 C_1 C_2}$$

$$C_s = \frac{C_1 C_2}{C_2 - C_1}$$

The distributed capacitance of a test coil that requires measurement by the series method is usually so small that the true inductance and effective inductance of the coil are essentially equal at the measuring frequency. In a few cases, however, correction may be necessary.

*c. Q*

Same as for  $X_p$ .

